

**APPLICATION OF MIXED MODELS TO THE
EXPRESSION MICROARRAY DATA FOR THE
IDENTIFICATION OF GENES RESPONSIBLE FOR THE
INTRAMUSCULAR FAT CONTENT IN PIGS**

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- 1. Data**
- 2. Normalisation**
- 3. Modelling**
- 4. Results**
- 5. Conclusions**

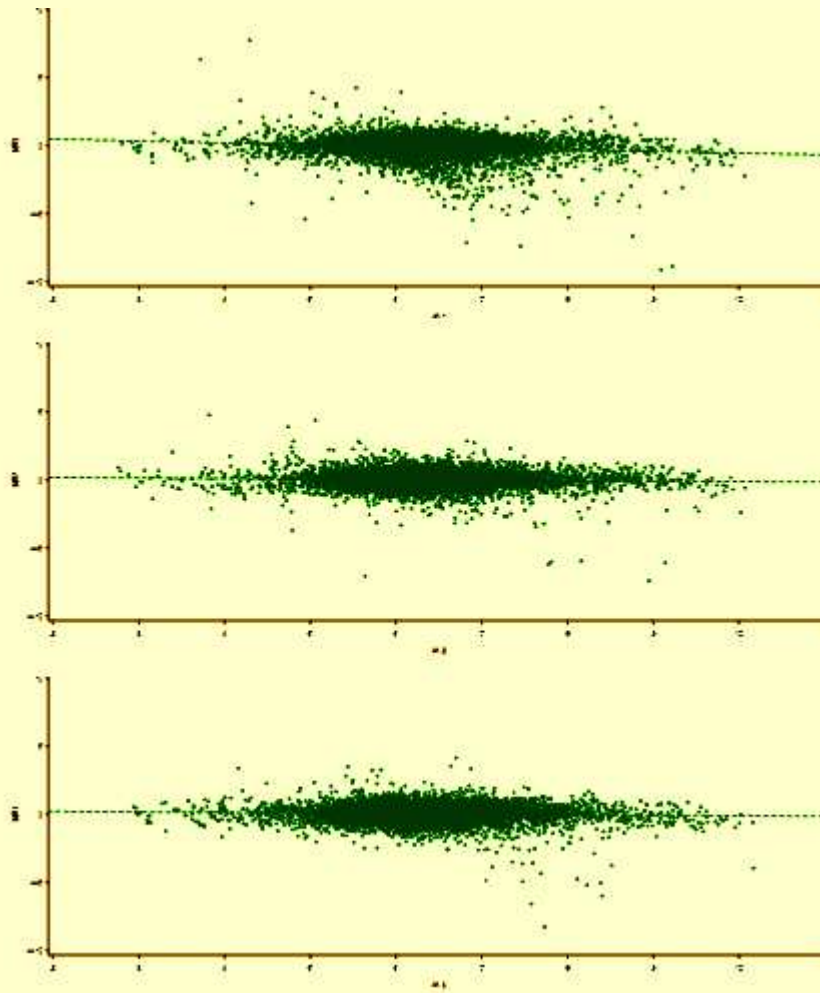
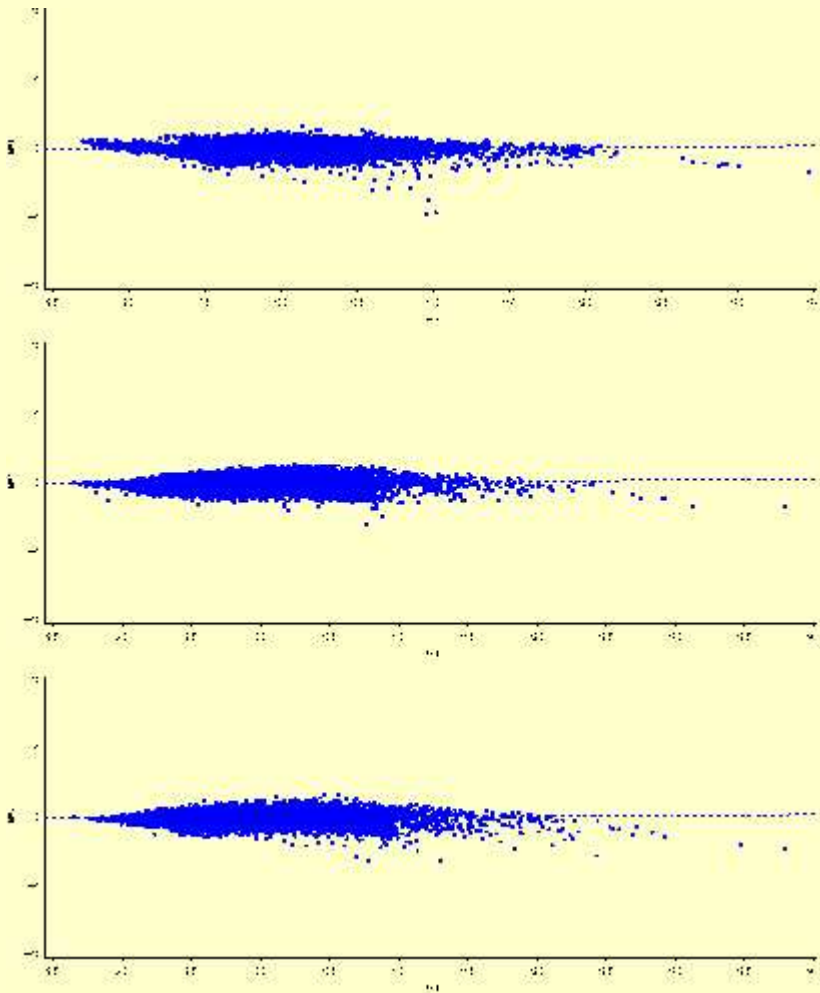
EXPERIMENTAL DESIGN

ARRAY	FAMILY	FAMILY
1	A	D
2	E	C
3	E	D
4	A	B
5	C	C
6	D	E
7	C	B
8	D	A
9	E	A
10	E	D
11	D	B
12	D	D
13	D	B
14	C	B

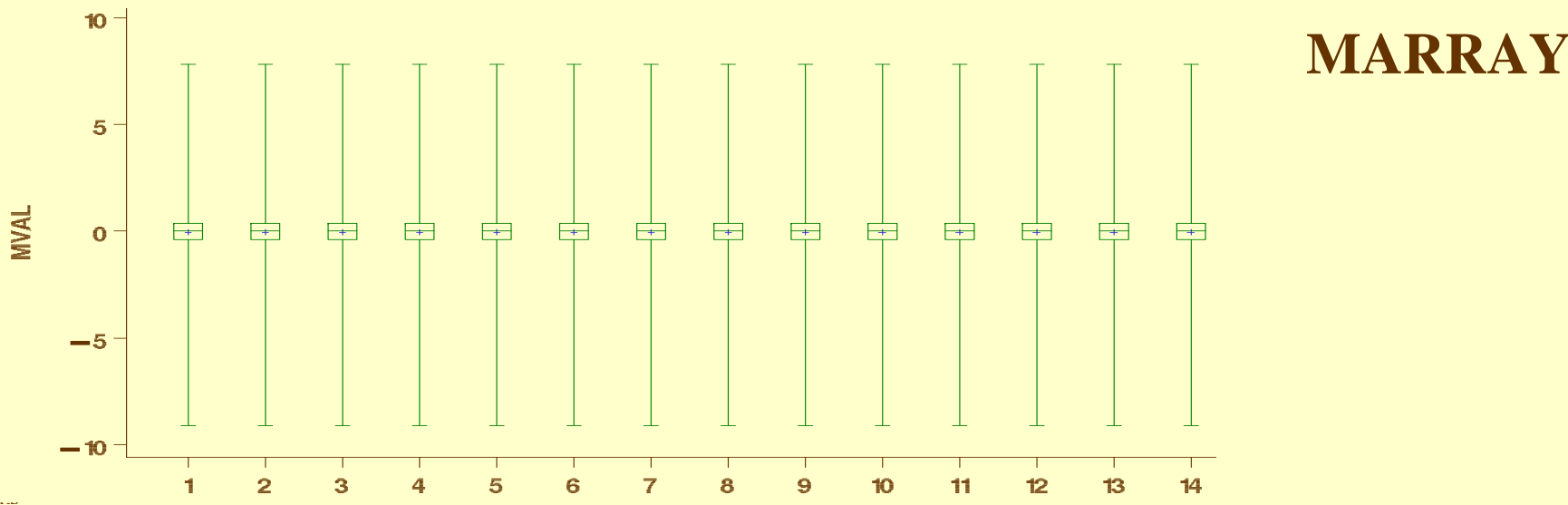
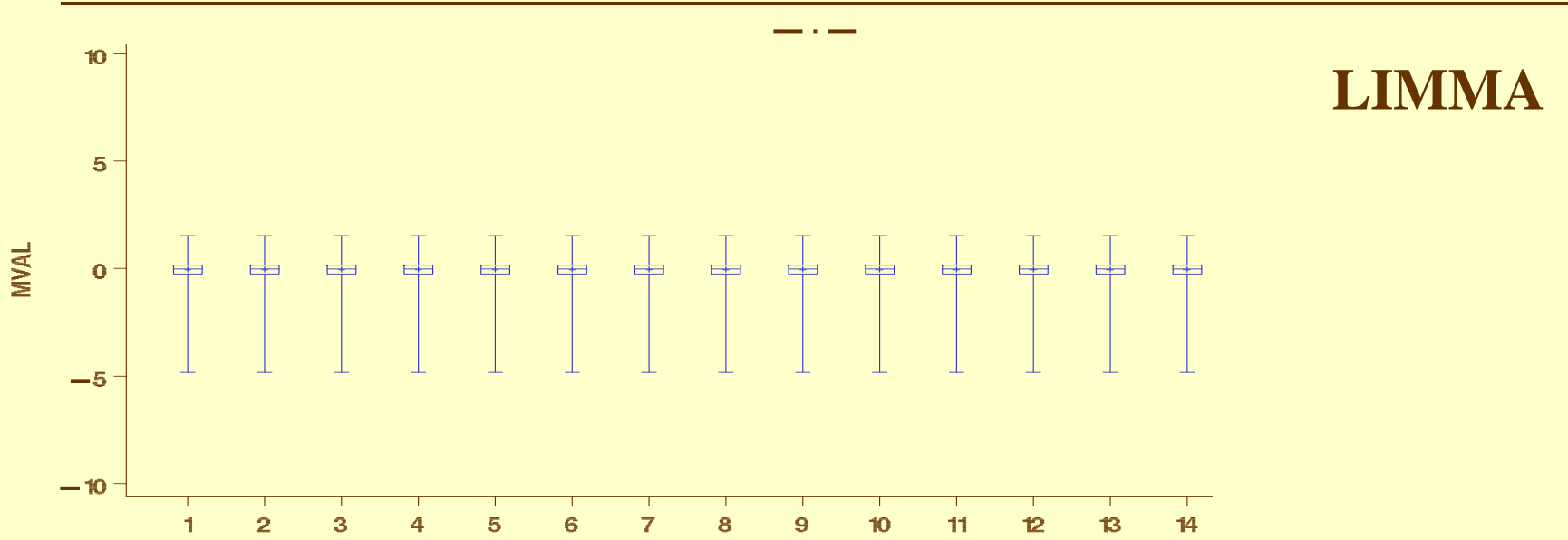
NORMALISATION (MA plot)

LIMMA

MARRAY

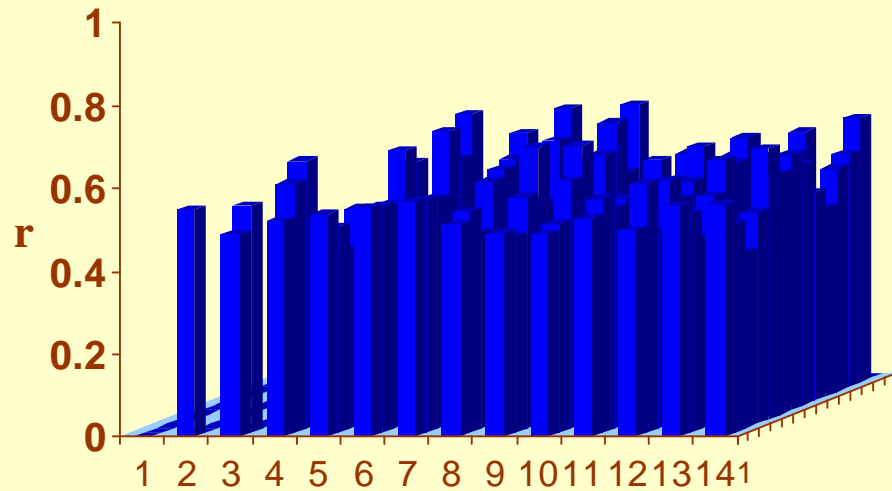


NORMALISATION (boxplot)

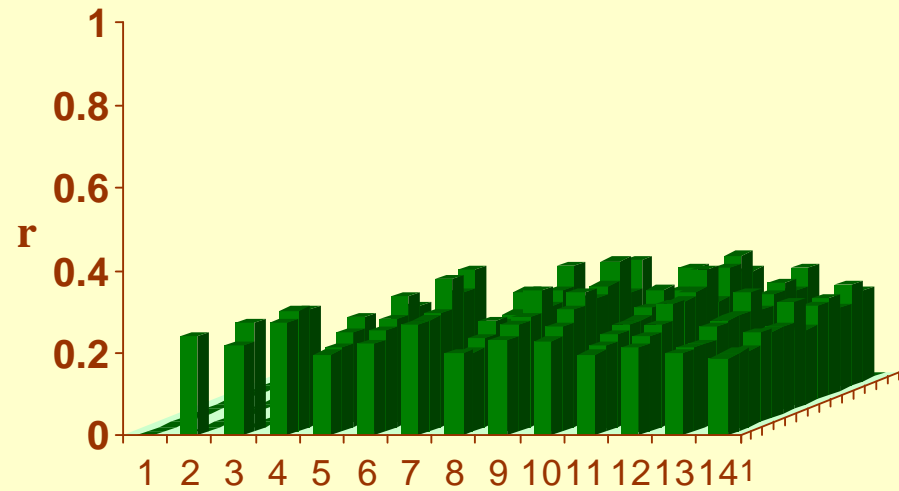


NORMALISATION (correlations between M values)

LIMMA



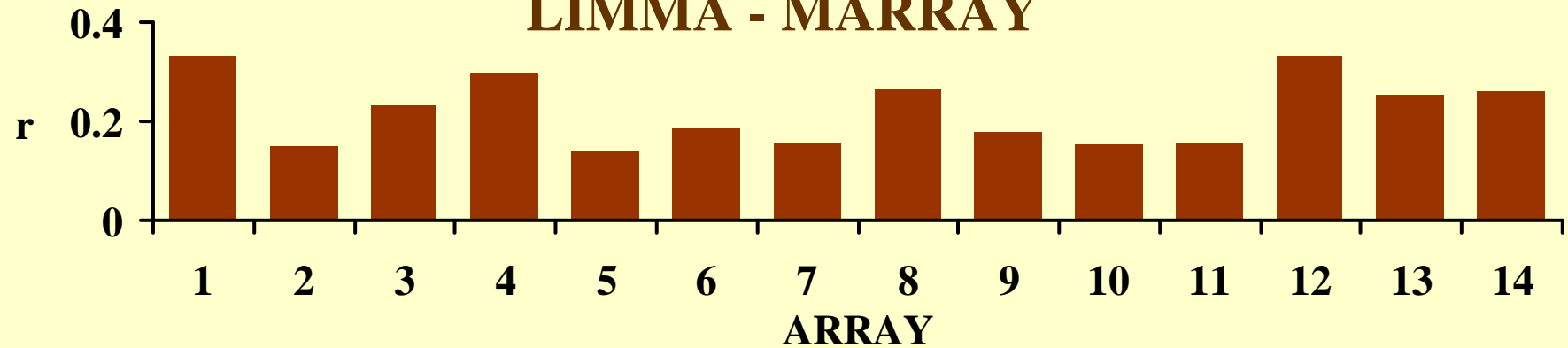
MARRAY



ARRAY

ARRAY

LIMMA - MARRAY



ANALYSIS (models)

GENE ONTOLOGY

Homo sapiens dbase 19.01.08; 912 terms

GENE

11 732 genes

univariate

$$y = \mu + s + go + e$$

$$y = \mu + s + gene + e$$

$$gene \sim N(0, \mathbf{G}\sigma_{gene}^2)$$

multivariate

$$y = \mu + s + go + ar + e$$

$$ar \sim N(0, \mathbf{A}\sigma_{array}^2)$$

$$y = \mu + s + gene + ar + e$$

$$gene \sim N(0, \mathbf{G}\sigma_{gene}^2)$$

$$ar \sim N(0, \mathbf{A}\sigma_{array}^2)$$

y – M value

s – spot (2)

gene – gene ID (11 732)

go – gene ontology term (912)

ar – array (14)

ANALYSIS (covariance matrices)

$$ar \sim N(0, \mathbf{A} \sigma_{array}^2)$$

A 14×14

- based on similarity in experimental design (families A-E)

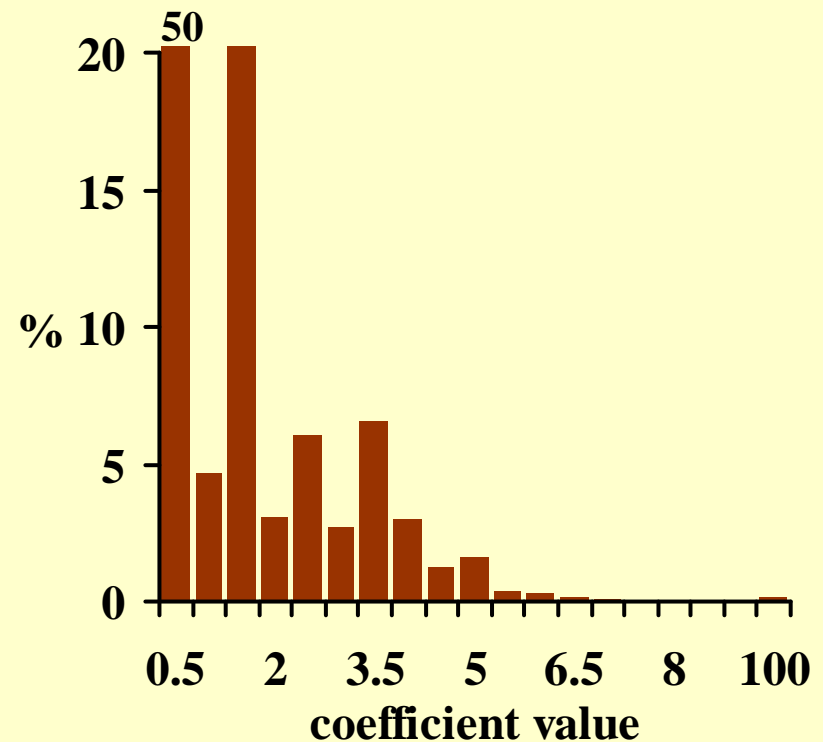
$$gene \sim N(0, \mathbf{G} \sigma_{gene}^2)$$

G 11732×11732

- based on maximum pairwise semantic similarity between GO term sets

Schlicker et al. 2006

- identity matrix

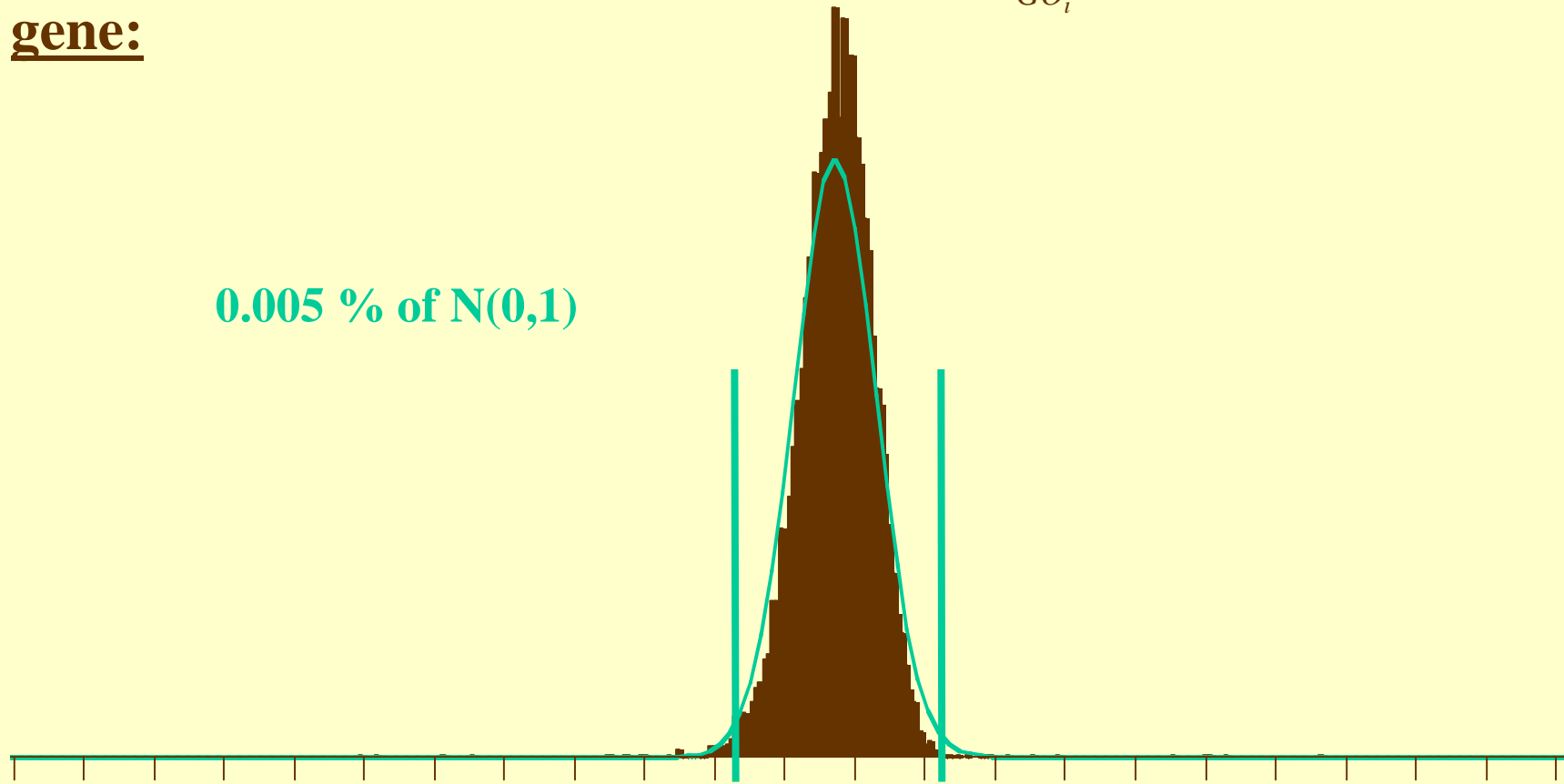


ANALYSIS (effect selection)

gene ontology: $H_0 : GO_i = 0$ $W = \frac{GO_i^2}{2\sigma_{GO_i}^2} \sim \chi_1^2$ $P^* = P N_{GO}$

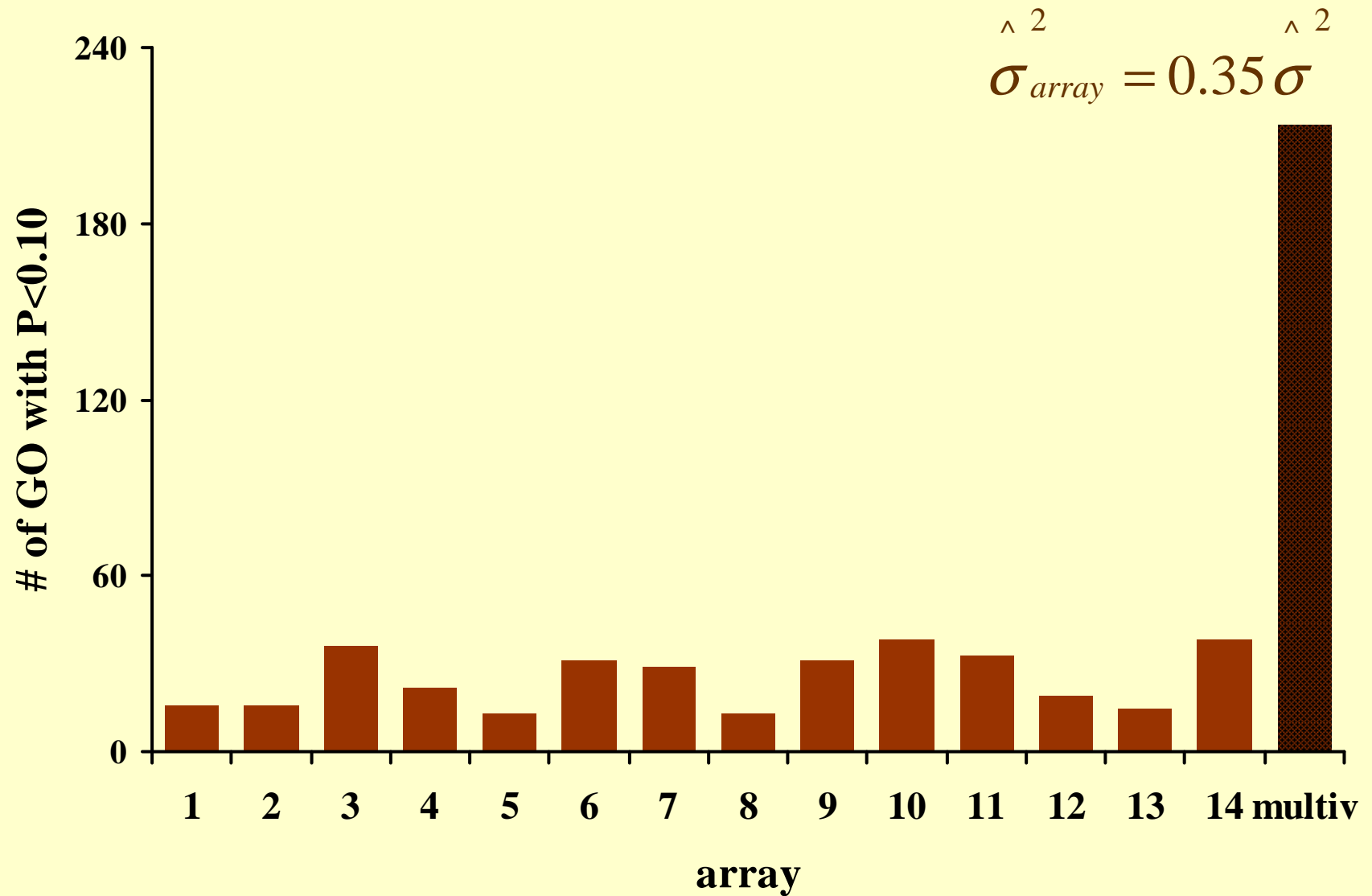
gene:

0.005 % of N(0,1)

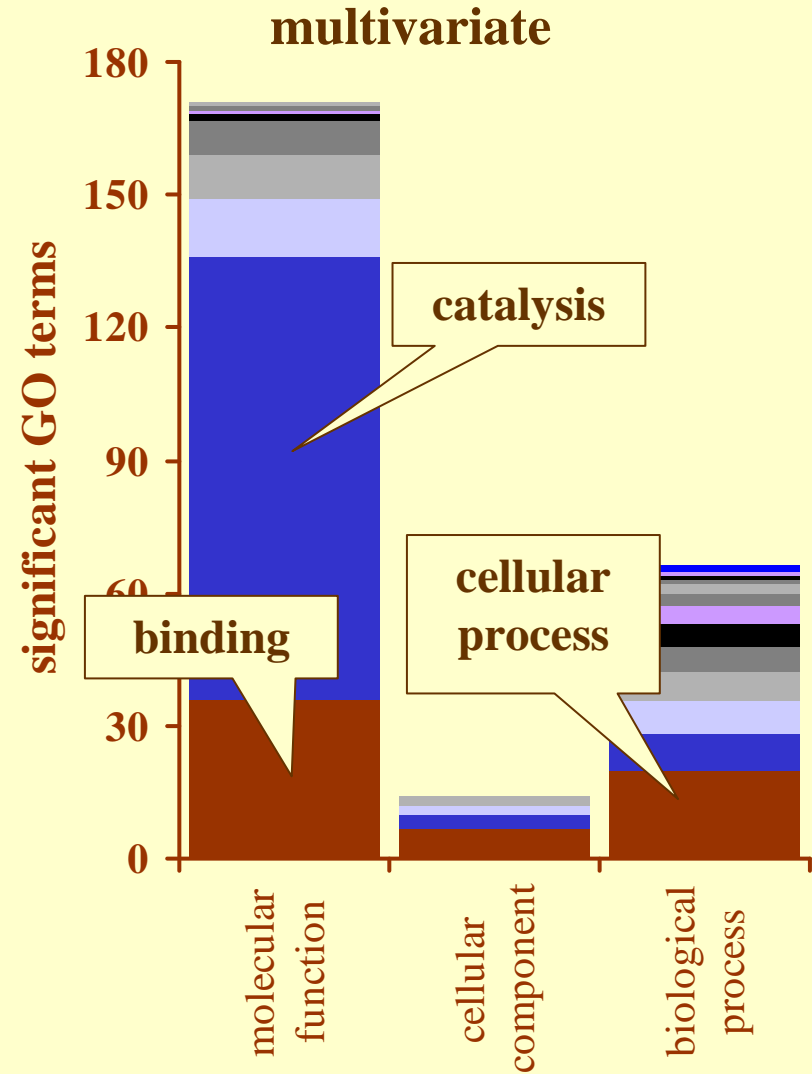
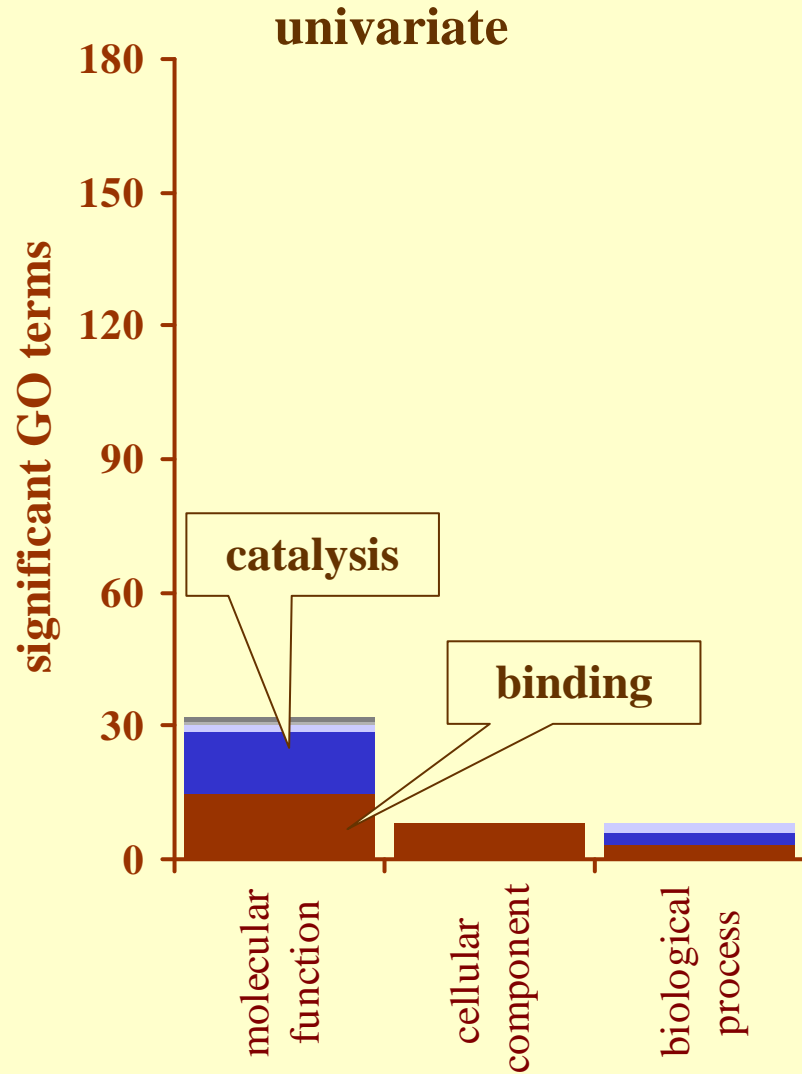


estimate of gene effect

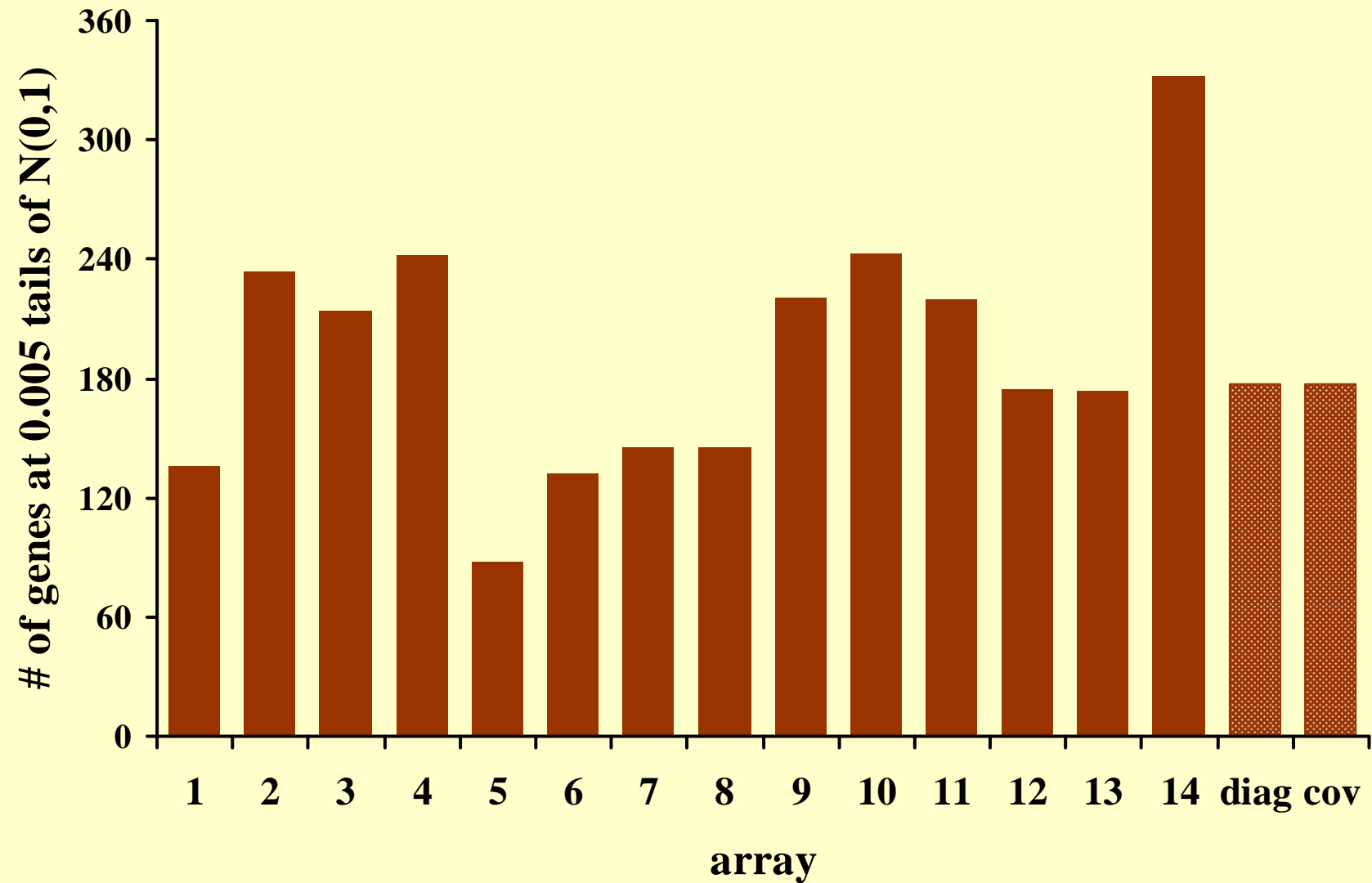
RESULTS (gene ontology)



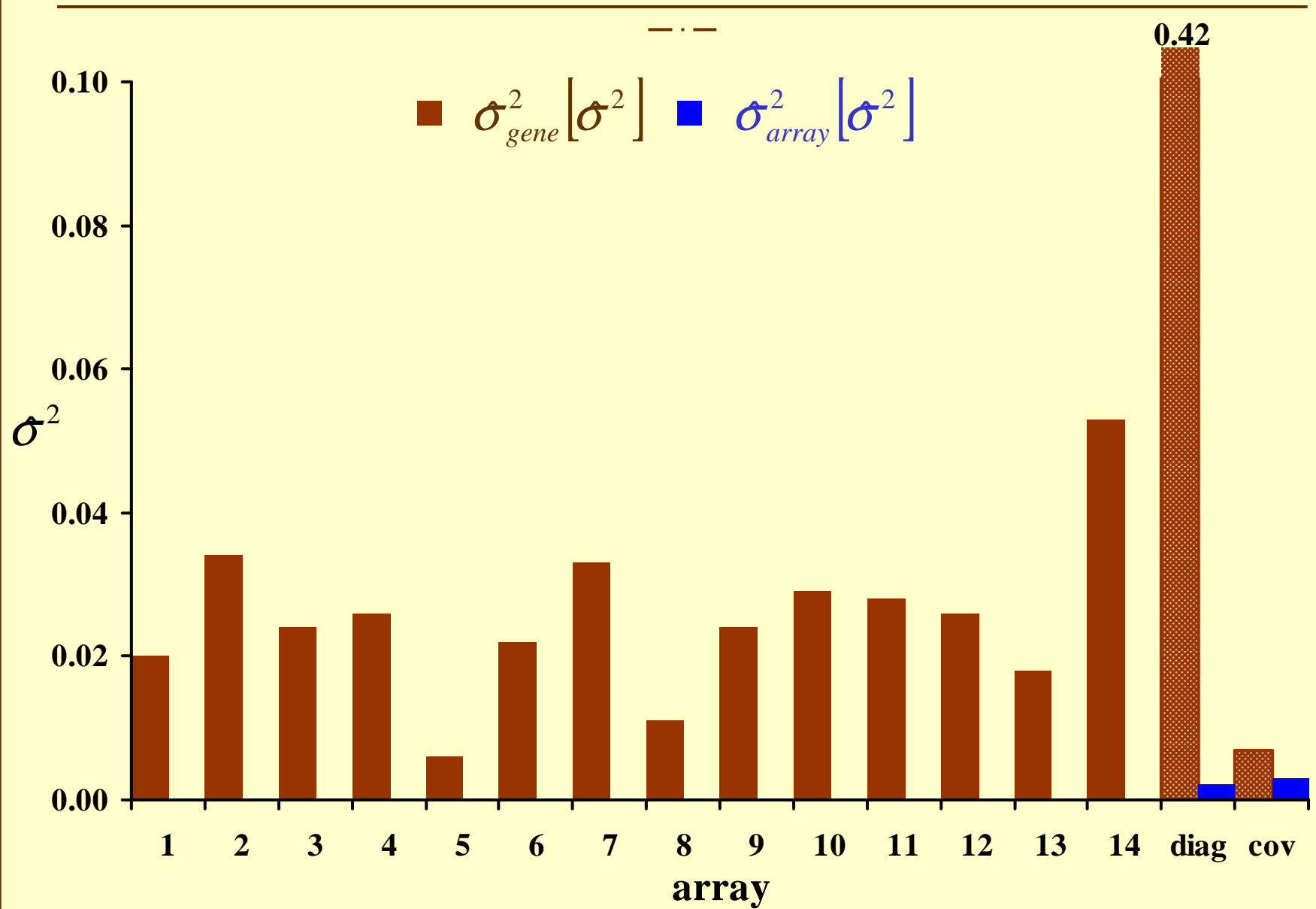
RESULTS (gene ontology)



RESULTS (genes)

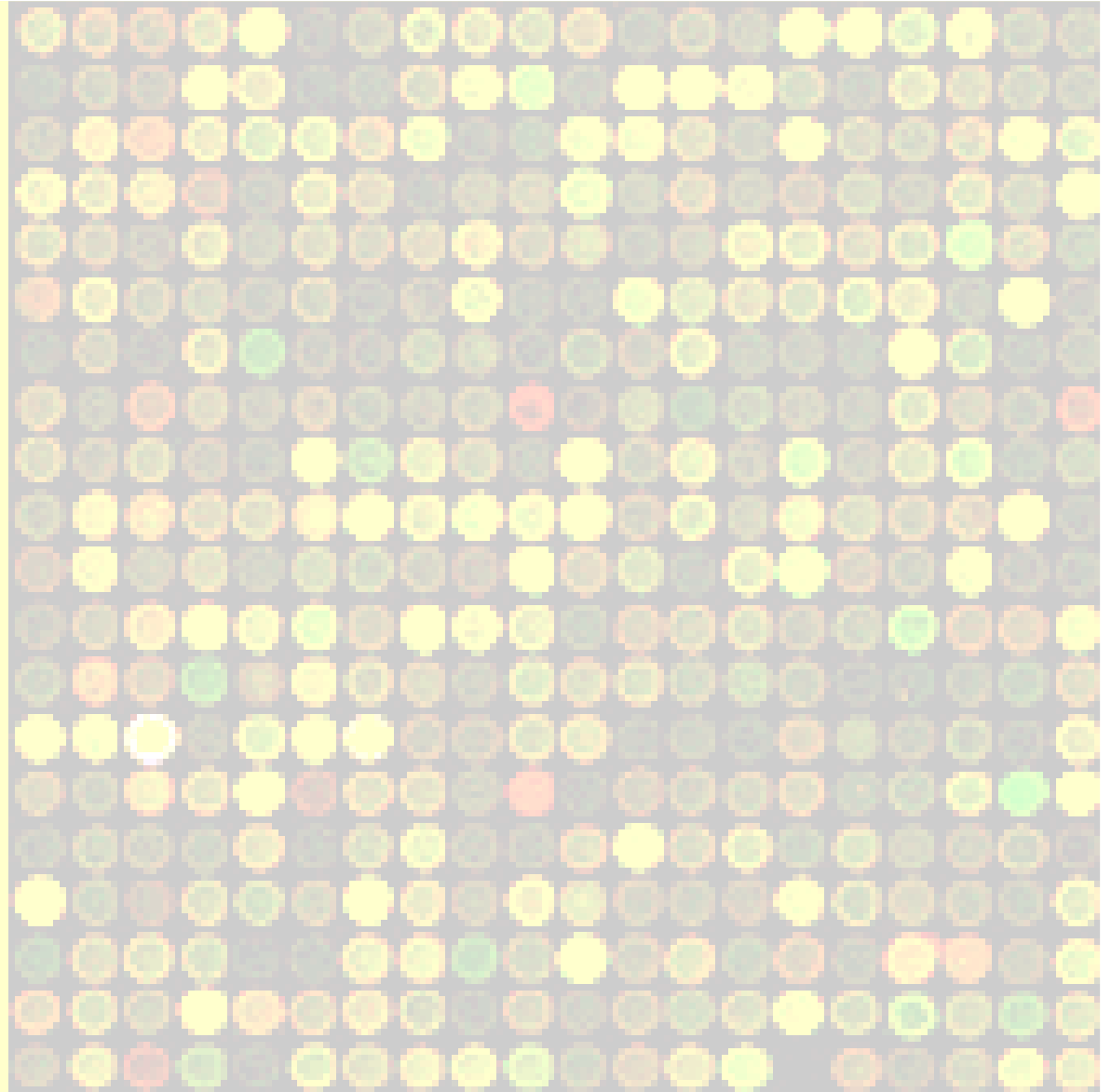


RESULTS (gene)



CONCLUSIONS

- 1. Large difference between normalisations**
- 2. Low correlations between arrays**
- 3. Good correspondence in effect estimation**
 - GO terms significant on: 11+1, 10+1, 6+1 models**
 - Genes significant on: 2×(14+1), 3×(10+1) models**



Thank you !